

7th Grade
May 10, 2021

Today we will:

- Turn in graded assignment (7R)
- Review functions

HOMEWORK:

Study for retake on Wednesday:

- watch and rewatch videos
- look at what you missed on first test (you got it back in Thursday folder)
- review examples we did in class, especially today's packet
- go over what you missed in old homework

ALEKS time and topics due TONIGHT at 11:59PM



Functions

A function matches one y with exactly one x .

This means the x 's cannot repeat !

The graph of a function must pass the vertical line test.

7th Grade

Math 103C Worksheet Relations & Functions Ch 9 Name _____

Are these functions? Write Yes or No.

I. Determine the domain and range for each of the following. Which are NOT functions?

1. $\{(6, -3), (7, 4), (-7, -2), (0, -2)\}$

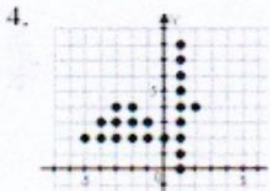
yes

2. $\{(7, 1), (7, -3), (7, 4)\}$

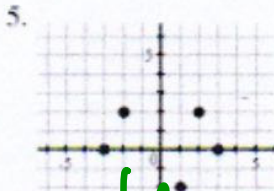
no

3. $\{\dots, (-3, 2), (-2, 1), (-1, 0), (0, 1), (1, 2), (2, 3), \dots\}$

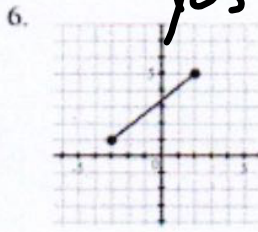
Yes
yes



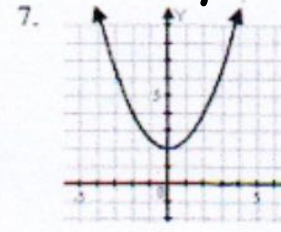
No



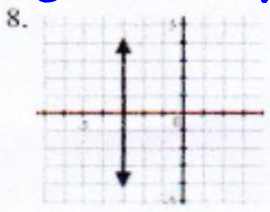
No



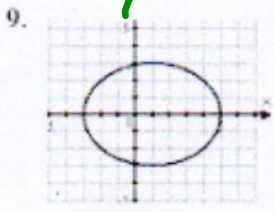
Yes



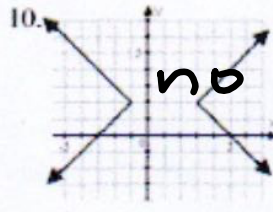
Yes



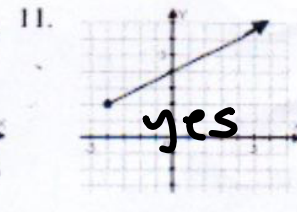
8.



9.

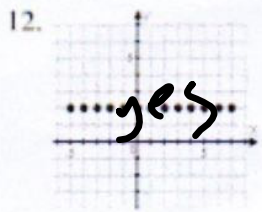


no



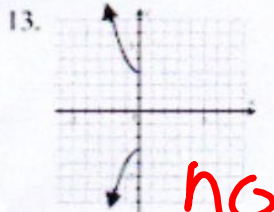
11.

yes



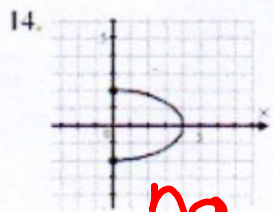
12.

yes



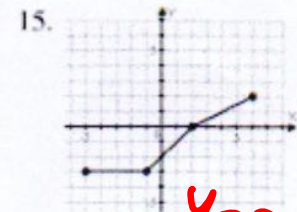
13.

no



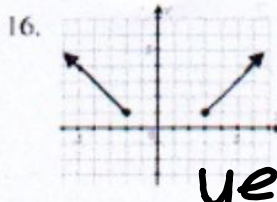
14.

no



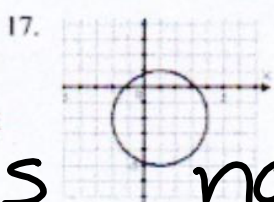
15.

yes



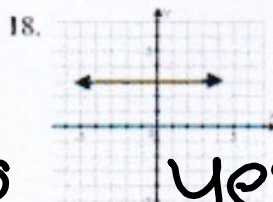
16.

yes



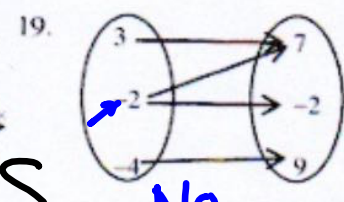
17.

no



18.

yes



19.

No

20.

x	y
2	1
3	5
4	9
2	13

No

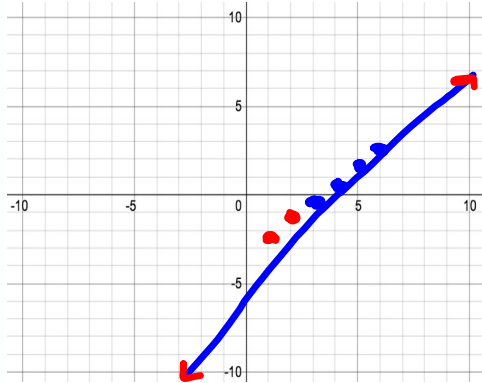
To find four solutions to a function, you must choose any four x's and find their y's using the function rule.

Solutions to a function should be written as ordered pairs, which can then be graphed to make a line of ALL solutions.

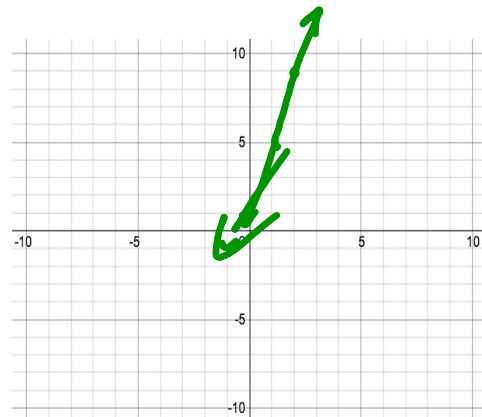
Find 4 solutions to the function. Then graph the function.

$y = x - 3$

	¹ 0
² 3	
4	1
5	2
6	3



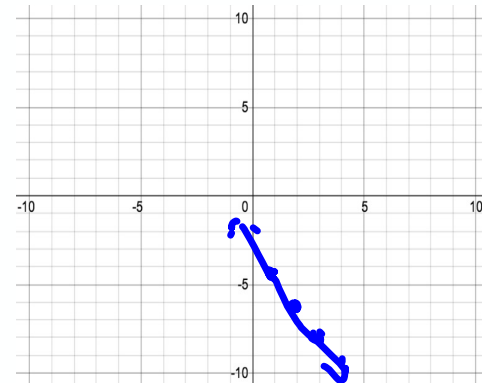
$y = 4x + 1$



X	Y
0	1
1	5
2	9
3	13

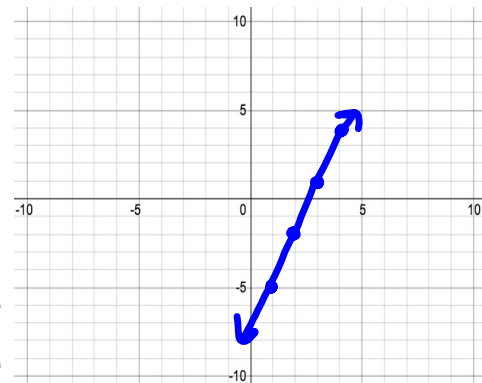
$y = -2x - 2$

X	Y
1	-4
2	-6
3	-8
4	-10



$3x - y = 8$

X	Y
1	$3 - (-5) = 8$
2	$6 - (-2) = 8$
3	$9 - 1 = 8$
4	$12 - 4 = 8$



Slope

Slope measures the steepness of a line on a graph.

To find slope we can do one of two things:

If you have two ordered pairs, you make a fraction with the difference in y's over the difference in x's. It looks like this:

$$\frac{y_2 - y_1}{x_2 - x_1} \text{ or } \frac{\Delta y}{\Delta x}$$

If you have a graph, you just find rise over run by counting. This means write how much the line goes ^{up}~~(down)~~ over how much the lines moves over.

Slope is usually written as a fraction.

Find the slope of the line that passes through each pair of points.

$L(-1, 2), M(0, 5)$

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{5 - 2}{0 - (-1)} = \frac{3}{1} = 3$$

$D(4, 5), E(-3, -9)$

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{-9 - 5}{-3 - 4} = \frac{-14}{-7} = 2$$

Kuta Software - Infinite Pre-Algebra

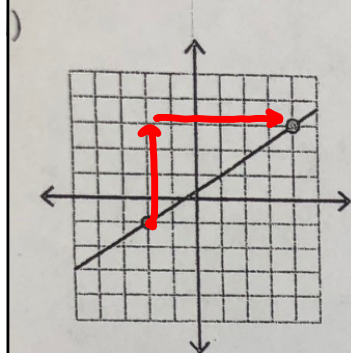
Name _____

Slope

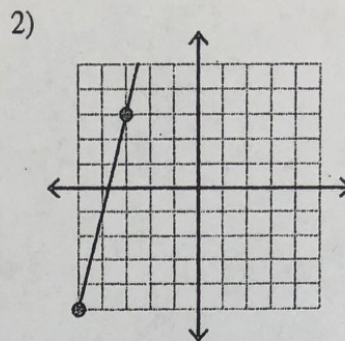
Date _____ Period _____

Find the slope of each line.

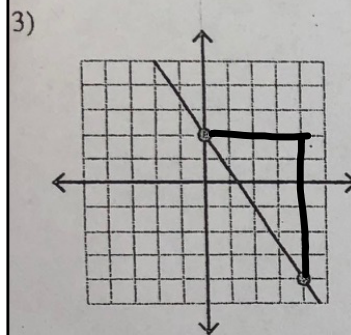
$m = \frac{\text{rise}}{\text{run}}$



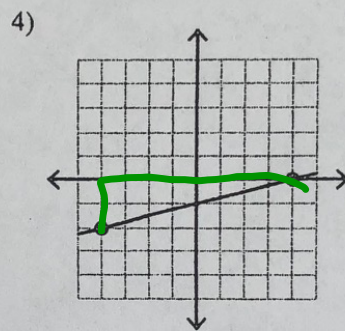
$m = \frac{6}{3} = 2$



$m = \frac{5}{1} = 5$



$m = \frac{5}{3}$



$m = \frac{2}{4} = \frac{1}{2}$

Direct Variations

The graph for a direct variation must be a line that goes through the origin.

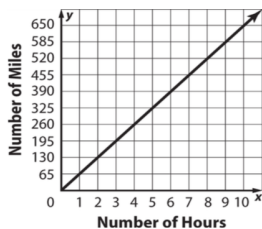
The equation for a direct variation looks like

$y = mx$. $y = 2x$ $y = -5x$
 $y = \frac{1}{4}x$

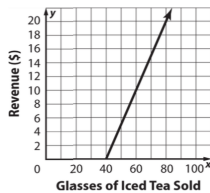
In the equation for a direct variation, the "m" stands for the slope of the line, the constant of variation, or the unit rate.

Examples:

Are these direct variations?



Yes



No

Yes $y = 9.50x$ $y = 0.10x + 45$

No

Lee works at a job where her pay varies directly with the number of hours she works. Her pay for 6 hours is \$48.

- a. Write a direct variation equation relating Lee's pay y to the hours worked x .

$y = 8x$

$y = mx$

↖ unit rate

- b. Find her pay if she works 25 hours in a week.

$y = 8 \times 25 = \$200$

- c. What is Lee's unit rate?

\$8

Slope Intercept Form

The slope-intercept form for a function looks like this: $y = mx + b$

m represents the slope.

b represents the y intercept.

This is where the line crosses the y -axis.

If an equation is NOT in slope-intercept form, add or subtract the x -term from each side to get y by itself. This will put the equation in slope-intercept form.

LINEAR EQUATIONS #1A

OBJECTIVE:

- Identify the slope and y-intercept in the equation of a line written in slope-intercept form.

Directions: For each equation below, make a blue circle around the y-intercept and a blue box around the slope.

1. $y = \frac{1}{2}x - 3$

6. $y = \frac{3}{2}x + 3$

2. $y = -\frac{4}{3}x + 6$

7. $y = 0x - 4$

3. $y = 3x + 9$

8. $y = \frac{1}{3}x + 0$

4. $y = -2x - \frac{4}{3}$

9. $y = -\frac{2}{3}x + 7$

5. $y = \frac{4}{5}x - 1$

10. $y = \frac{5}{3}x - 2$

OBJECTIVE:

- Identify the slope and y-intercept in the equation of a line written in slope-intercept form.

Directions: For each equation below, write the slope of the line as a fraction and the y-intercept as an integer.

1. $y = \frac{1}{3}x + 4$ y-intercept 4 slope $\frac{1}{3}$

2. $y = -\frac{3}{5}x - 2$ y-intercept -2 slope $-\frac{3}{5}$

3. $y = 4x + 1$ y-intercept 1 slope 4

4. $y = -\frac{3}{2}x + 3$ y-intercept 3 slope $-\frac{3}{2}$

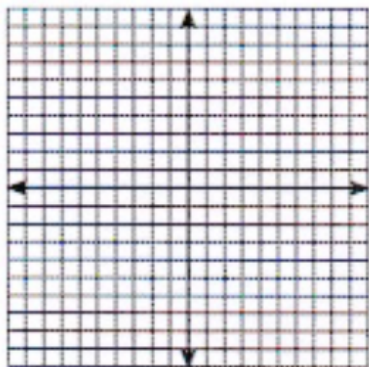
5. $y = x + 4$ y-intercept 4 slope 1

One more example:

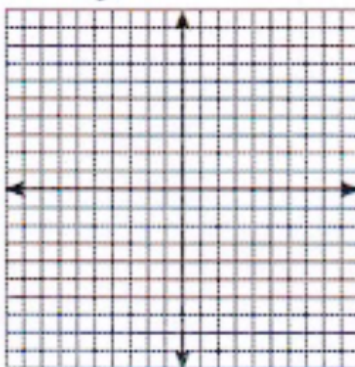
Find slope and y-intercept for the equation $5x + y = 4$

Graph the line using slope-intercept form.

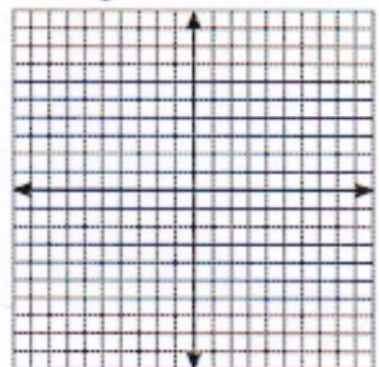
1. $y = \frac{1}{2}x - 1$



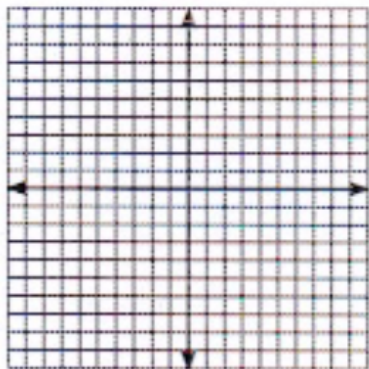
3. $y = -\frac{1}{3}x + 2$



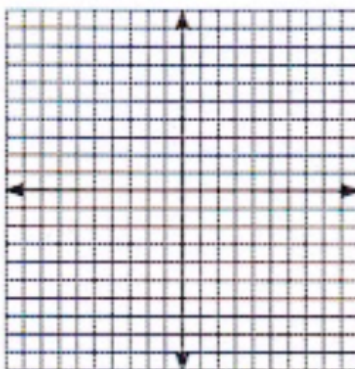
5. $y = -\frac{2}{3}x + 4$



2. $y = 2x + 5$



4. $y = -3x - 1$



6. $y = x + 3$

